

Minnesota State High School Mathematics League 2013-14 Meet 2, Individual Event A

Question #1 is intended to be a quickie and is worth 1 point. Each of the next three questions is worth 2 points. Place your answer to each question on the line provided. You have 12 minutes for this event.

$$x = \frac{1 - 5y}{2}$$

Solve 2x+5y=1 for x.

$$2x = 1 - 6y$$

$$x = 1 - 6y$$

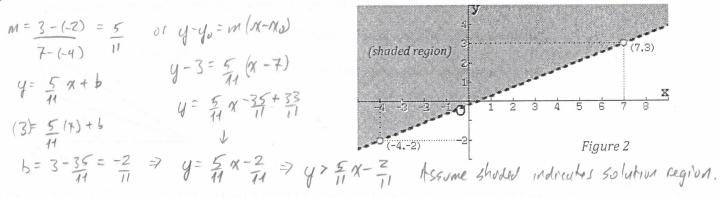
$$2$$

 $y > \frac{5}{11} \times \frac{2}{11}$ 2. Write the linear inequality that corresponds to the graph shown in *Figure 2*.

$$M = \frac{3 - (-2)}{7 - (-4)} = \frac{3 - (-2)}{7 - (-4)} = \frac{5}{11} \times \frac$$

or
$$y-y_0=m(x-x_0)$$

 $y-3=\frac{5}{44}(x-7)$
 $y=\frac{5}{44}x^{-3}+\frac{33}{4}$



$$b = 3 - \frac{35}{11} = \frac{-2}{11}$$

Brad's father is three times as old as Brad. In ten years, Brad's father will only be twice as old as Brad. How old is Brad currently?

$$F = 3B$$

 $F + 10 = 2(B + 10)$
 $3B + 10 = 2B + 20$
 $B = |10|$

180 = 43 7 min 4.

Name:

If a clock shows 8:00 pm now, determine exactly how many minutes must pass before the clock's hour and minute hand will be pointing in the same direction for the first time.

Between 8pm & 9pm. Find m= # minutes after 8 pm when they meel distance = rate · time. Position = start posn + distance

Team:	



Minnesota State High School Mathematics League 2013-14 Meet 2, Individual Event B

Question #1 is intended to be a quickie and is worth 1 point. Each of the next three questions is worth 2 points. Place your answer to each question on the line provided. You have 12 minutes for this event.

 $Perimeter[\triangle ACD] =$

18

1. In right triangle ABC, BC = 6, AC = 8, and AB = 10. If \overline{CD} is a median of the triangle, calculate the perimeter of $\triangle ACD$.



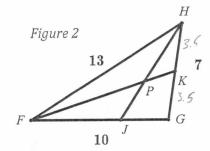
HP:PJ=

2. $\triangle FGH$ has side lengths f = 7, g = 13, and h = 10, as shown in *Figure 2*. Angle bisector \overline{HJ} and median \overline{FK} are drawn, intersecting at point *P*. Determine exactly the ratio HP : PJ.

Solution uses "mass point germetry."

This knowledge was regard in 2013-14;

it is not required now.



Volume = 49

Calculate the volume of pyramid GIZA, where G = (2, 1), I = (0, 8), A = (-5, 1), and Z is any point located exactly 6 units <u>above</u> the xy-plane. (Hint: imagine the coordinate plane being laid flat on a table; point Z would be floating somewhere 6 units above the table.)

VY:RS=

In $\triangle PQR$ (Figure 4), S and T are the trisection points (nearest to P) of \overline{PQ} and \overline{PR} respectively, V is the intersection of \overline{QT} and \overline{RS} , and \overline{PV} intersects \overline{QR} at W. X is the other trisection point of \overline{PR} , and \overline{RS} and \overline{WX} intersect at Y. Determine exactly the ratio VY:RS.

Solution also uses "mass point geometry."

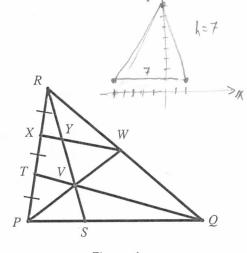


Figure 4

Name: _____

Team: _____